

Bond Pricing(Matlab Code)

syms p c y f t %p 是价格, c 是每期利息金额, y 是到期收益率, f 是面值, t 是债券期限。

$p = c \cdot (1/y - 1/(y \cdot (1+y)^t)) + f/(1+y)^t$;

%原理 1 p 与 y 成反比

% c = 100;

% f = 1000;

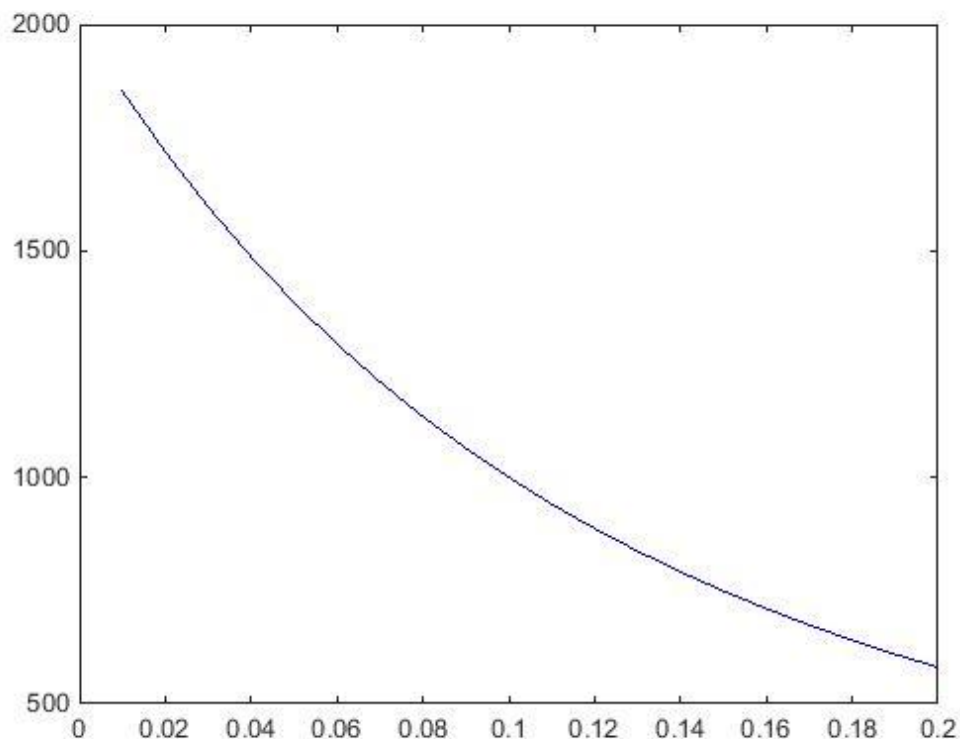
% t = 10;

% y = 0.01:0.01:0.2;

%%fun=p

% fun = @(y)c.*(1./y-1./(y.*(1+y).^t))+f./(1+y).^t;

% plot(y,fun(y));



%原理 2 dy 一定时, |dp/p| 与 t 成正比

% lnp=log(c*(1/y-1/(y*(1+y)^t))+f/(1+y)^t);

% diff(lnp,y)

% c = 100;

% f = 1000;

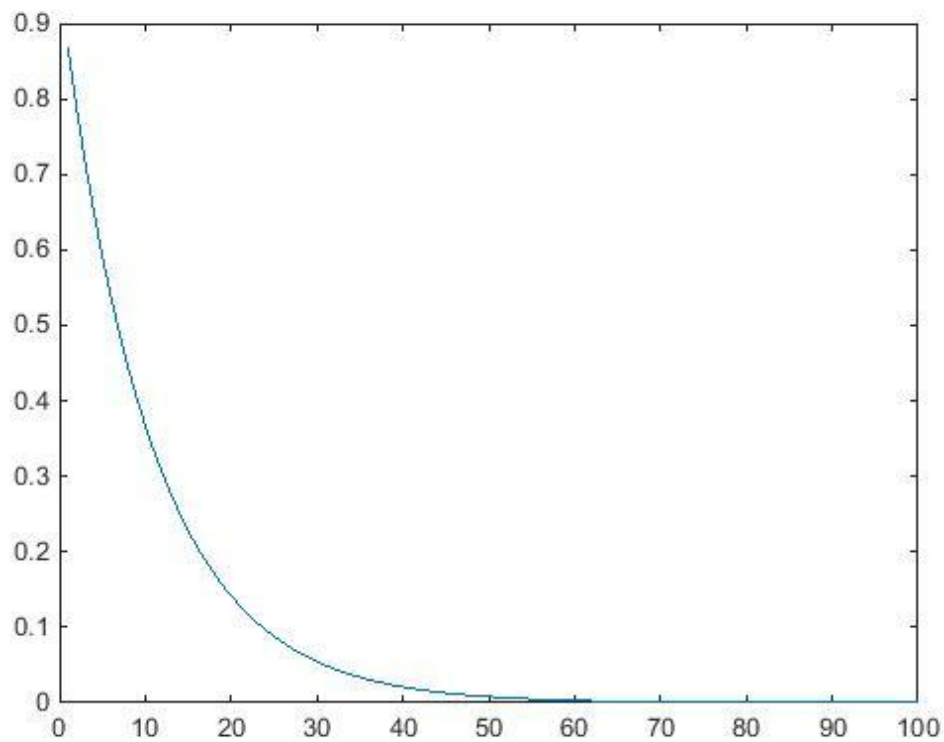
% t = 1:1:10;

% y = 0.1;

%%fun2=(dp/p)/dy

% fun2 = @(t)-(c.*(1./(y.^2.*(y + 1).^t) - 1./y.^2 + t./(y.*(y + 1).^t)) - (f.*t)./(y + 1).^t + 1))./(c.*(1./(y.*(y + 1).^t) - 1./y) - f./(y + 1).^t);

% plot(t,abs(fun2(t)));



%原理 3 dy 一定时, $|dp/p|/dt > 0, d(|dp/p|/dt)/dt < 0$

% $\ln p = \log(c * (1/y - 1/(y * (1+y)^t)) + f/(1+y)^t);$

% $\text{diff}(\text{diff}(\ln p, y), t)$

% $c = 100;$

% $f = 1000;$

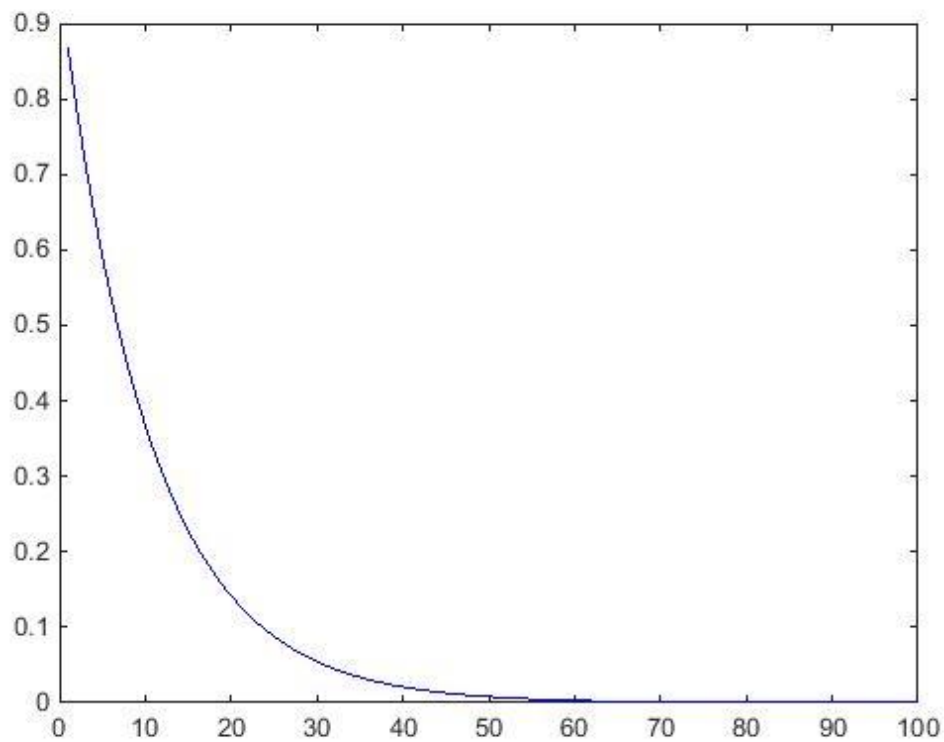
% $t = 1:1:100;$

% $y = 0.1;$

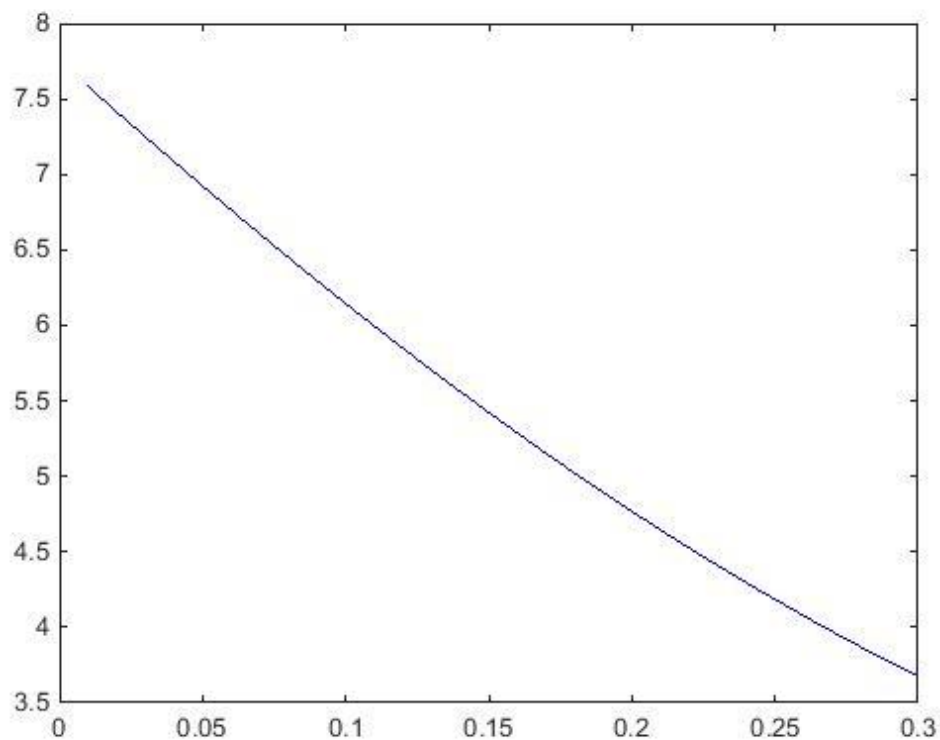
%% $\text{fun3} = d((dp/p)/dy)/dt$

% $\text{fun3} = @(t)(f./(y + 1).^t + c.*(log(y + 1)./(y.^2.*(y + 1).^t) - 1./(y.*(y + 1).^t)) + (t.*log(y + 1))./(y.*(y + 1).^t)) - (f.*t.*log(y + 1))./(y + 1).^t + (c.*(1./(y.*(y + 1).^t) - 1./y) - f./(y + 1).^t) + (((f.*log(y + 1))./(y + 1).^t - (c.*log(y + 1))./(y.*(y + 1).^t)).*(c.*(1./(y.^2.*(y + 1).^t) - 1./y.^2 + t./(y.*(y + 1).^t)) - (f.*t)./(y + 1).^t))./(c.*(1./(y.*(y + 1).^t) - 1./y) - f./(y + 1).^t).^2;$

% $\text{plot}(t, \text{abs}(\text{fun3}(t)));$



```
%原理 4 dy 一定时，|dp/p| 与 y 成反比
% lnp=log(c*(1/y-1/(y*(1+y)^t))+f/(1+y)^t);
% diff(lnp,y)
% c = 100;
% f = 1000;
% t = 10;
% y = 0.01:0.001:0.3;
% %fun4=(dp/p)/dy
% fun4 = @(y)-(c.*(1./y.^2.*(y + 1).^t) - 1./y.^2 + t./(y.*(y + 1).^t)) - (f.*t)./(y + 1).^(t + 1))./(c.*(1./y.*(y + 1).^t) - 1./y - f./(y + 1).^t);
% plot(y,abs(fun4(y)));
```



%原理 5 dy 一定时, $|dp/p|$ 与 c 成反比

```
lnp=log(c*(1/y-1/(y*(1+y)^t))+f/(1+y)^t);
```

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diff(lnp,y)
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```
c = 10:1:300;
```

```
f = 1000;
```

```
t = 10;
```

```
y = 0.05;
```

```
%fun5=(dp/p)/dy
```

```
fun5 = @(c)-(c.*(1./(y.^2.*(y + 1).^t) - 1./y.^2 + t./(y.*(y + 1).^(t + 1))) - (f.*t)./(y + 1).^(t + 1))./(c.*(1./(y.*(y + 1).^t) - 1./y) - f./(y + 1).^t);
```

```
plot(c,abs(fun5(c))); syms p c y f t %p 是价格, c 是每期利息金额, y 是到期收益率, f 是面值, t 是债券期限。
```

```
p=c*(1/y-1/(y*(1+y)^t))+f/(1+y)^t;
```

```
%原理 1 p 与 y 成反比
```

```
% c = 100;
```

```
% f = 1000;
```

```
% t = 10;
```

```
% y = 0.01:0.01:0.2;
```

```
%%fun=p
```

```
% fun = @(y)c.*(1./y-1/(y.*(1+y).^t))+f./(1+y).^t;
```

```
% plot(y,fun(y));
```

